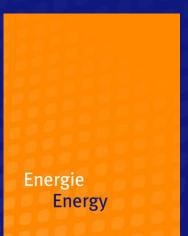


Statistical static capacity management in virtualized data centers supporting fine grained QoS specification

Talk at e-Energy 2010

Speaker: Marko Hoyer





Marko Hoyer

OFFIS Institute for Information Technology marko.hoyer@offis.de

Kiril Schröder

C.v.O. University of Oldenburg kiril.schroeder@informatik.uni-oldenburg.de

Wolfgang Nebel

C.v.O. University of Oldenburg nebel@informatik.uni-oldenburg.de



2 Motivation 1 / 4

Wasted energy through low server utilization

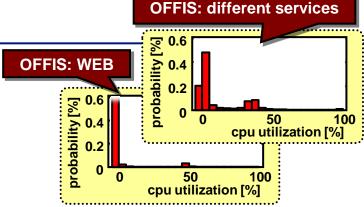
 Server utilization in small or medium enterprises (e.g. OFFIS ≈ 50 servers)

90th percentile at the web server: 2% CPU utilization

90th percentile at another server deploying different services:

39% CPU utilization





power efficiency

rel. power consumption

50

utilization [%]

- Server utilization in large efficient server clusters
 - 90th percentile of 5000 Google servers averaged¹:

50-60% CPU utilization





- ► Hardware to powerful for single services
- Daytime dependent variation of workload (and thus resource demand)

100

0

66-90%

100

CPU utilization — CPU utilization (floating average)

30
20
10
0
6
12
18
24
daytime

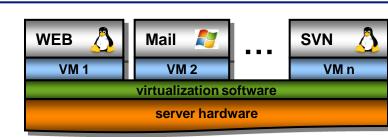
¹ estimated from: Barroso, L. A.; Hölzle, U.: *The case of energy-proportional computing*. IEEE Computer 40(12).2007



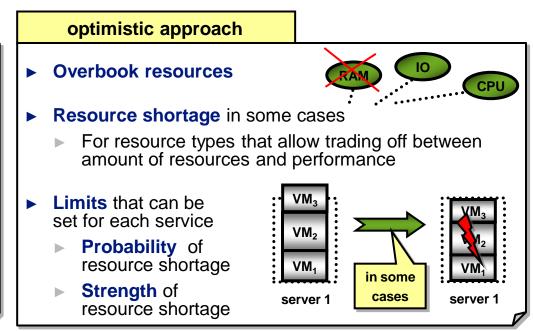
3 Motivation 2 / 4

Basic idea of static statistic capacity management

- Optimizing utilization using virtualization technique
 - Different services deployed at one server
- Questions to be answered
 - How much resources must be reserved for a service?
 - Which services are deployed together at one server?



pessimistic approach Determine maximal required resources Distribute services to servers guaranteeing maximal required resources all the time vector bin packing benchmarking VM₂ VM_2 VM₄ VM₃ VM₁ VM₃ mail WEB SVN server 2 server 1





4 Motivation 3 / 4

Known static statistical approaches

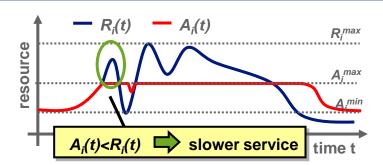
- Demand, allocated resources and server capacity
 - For each VM *i* (virtual machine)

resource demand: $R_i(t) \leq R_i^{max}$

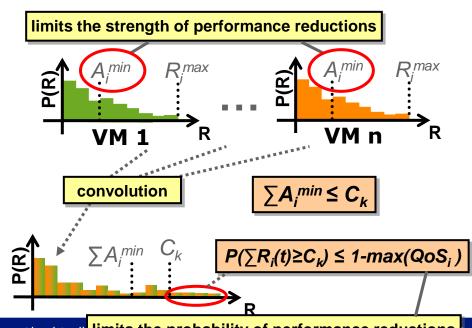
allocated resources: $A_i^{min} \leq A_i(t) \leq A_i^{max}$

For each Server k (host)

Resource capacity: C_k



- Statistical allocation planning
 - first pessimistically plan by R_imax (vector bin packing)
 - create histograms from observed demand
 - create optimized allocation plan w. r. t. the demand behavior
 - ensuring minimal resources A_i^{min}
 - ensuring minimal probability QoS; of not having performance problems
 - vector bin packing considering both conditions

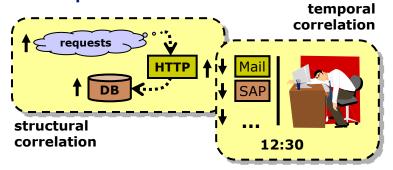




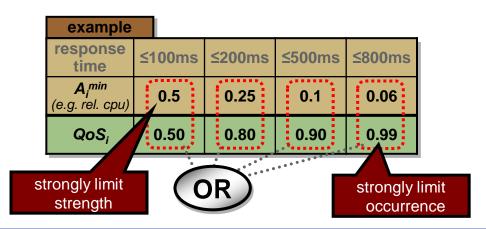
5 Motivation 4 / 4

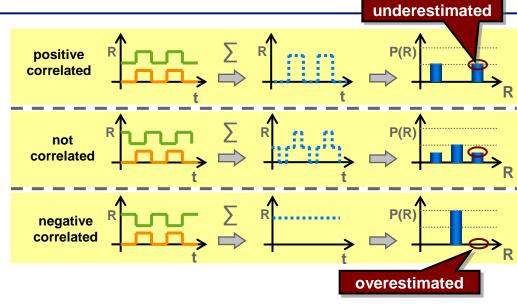
Problems of known approaches

 Convolution requires statistical independence

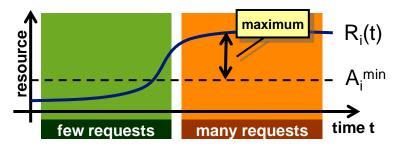


- ► Inflexible QoS specification
 - ▶ Only one pair of QoS_i and A_i^{min} possible





 Strength of resource shortage depends on resource demand



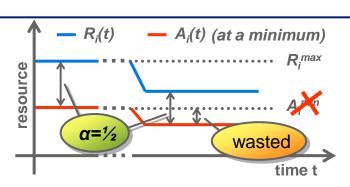


6 Concept 1/3

Demand independent fine grained QoS specification

- Independence of resource demand
 - Describe resource shortage as ratio α between allocable and required resources
 - Not reserving fixed resources but guaranteeing a minimal α

$$\alpha_i(t) = \frac{A_i(t)}{R_i(t)}$$

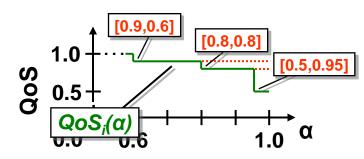


- More flexible QoS specification
 - \triangleright Old one: 1 pair of QoS and α
 - **New** one: **function** QoS of α
 - For each α, an independent QoS value can be defined
 - More optimistic planning possible
 - For each VM it must hold that:



- one for uncorrelated workload
- one for correlated workload





$$\forall \alpha < 1.0: P(\frac{A_i(t)}{R_i(t)} < \alpha) < 1 - QoS_i(\alpha)$$



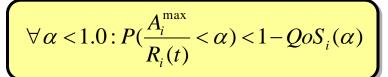
7 Concept 2 / 3

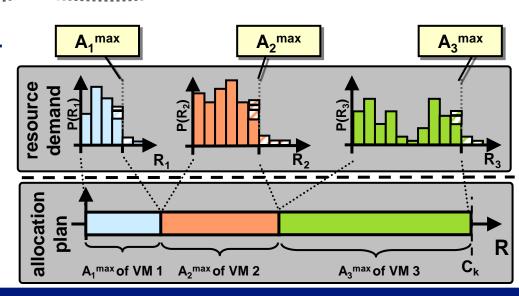
Dealing with correlations – pessimistic approach

- Reserve individual resource capacity for each VM
 - No interactions between VMs possible
 - Correlations can be neglected
- Reserved capacity can be lower than the maximum demand of the VM (R_i^{max}>A_i^{max})
 - Consequences: resource shortage in some cases
- Approach
 - Select A_j^{max} so that the QoS specification of the respective VM is met
 - ▶ Bin packing by A_i^{max}

$$\sum A_i^{\max} \le C_k$$

- Disadvantage
 - Assume having fully positively correlated resource demand
 - Wasted resources





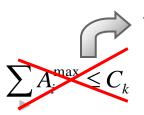


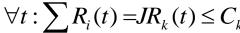
- R₁(t)

8 Concept 3 / 3

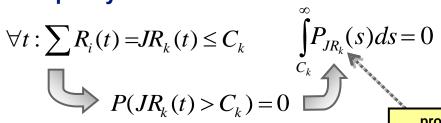
Dealing with correlations – optimistic approach

- More optimistic approach
 - Joint resource demand of all VMs must never exceed the servers' capacity









probability distribution of joint resource demand

- Some slides ago ...
 - Probability distribution of joint resource demand is derived from the individual distributions using convolution
 - **Problem:** Statistical independence not given when having **correlations!!**

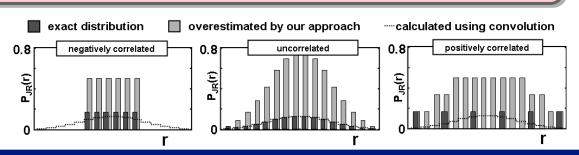


- R₁(t)+R₂(t)

 A_2^{max}

 $A_1^{\text{max}} + A_2^{\text{max}}$

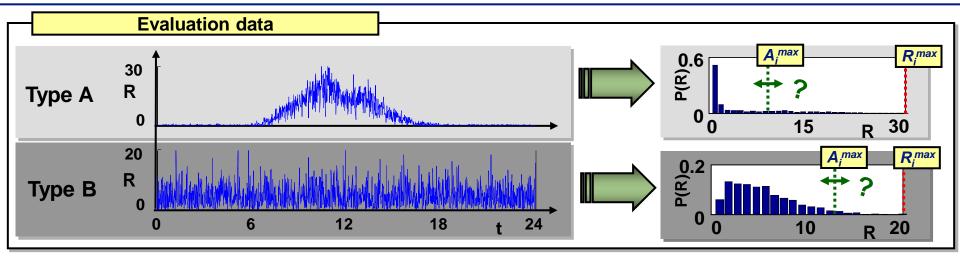
- Solution
 - **Overestimation**
 - Details in the paper ...



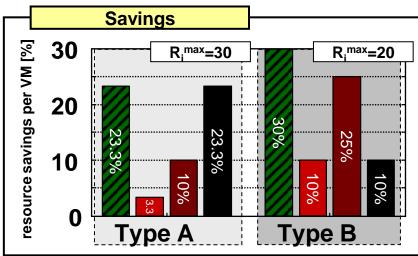


9 Evaluation results 1/3

Resource saving when using fine grained QoS specification



Type A		Туре В	
A _i ^{min} /α	QoS _i	A _i ^{min} /α	QoS
28 / 0.95	0.5	18 / 0.90	0.85
27 / 0.90	0.9	14 / 0.70	0.95
15 / 0.50	0.99	10 / 0.50	0.99





10 Evaluation results 2 / 3

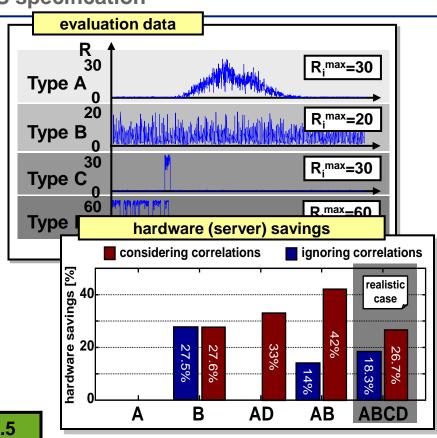
Resource saving when using fine grained QoS specification

- Simulation based evaluation
 - 4 workload types, 200 VMs
- ► Relative hardware savings
 - Count of servers compared to pessimistic approach (guaranteeing max. demand all the time)
- Energy savings in data center
 - Best case (PUE remains constant)
 - ► Hardware savings = Energy savings

≈ 27%

Worst case (only server power is saved)

PUE (pessimistic approach)	1.5	2.0	2.5
PUE (statistical approach)	1.7	2.3	3.0
Energy savings	19%	13%	11%





11 Evaluation results 3 / 3

QoS violations when ignoring correlations

Methodology

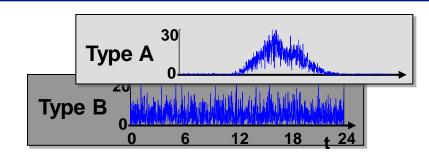
- As many **VMs of same type** as possible placed at one server
- Statistical approach using convolution
- Demand traces of one day workload
- Strength and frequency of resource shortage measured and compared to QoS

Analyzed cases

- Fully positively correlated workload (cor. coef. 1.0)
 - Workload Type A, exactly the same time series are used
- Mainly positively correlated workload (cor. coef. 0.87)
 - Trend of workload Type A, random noisy part
- Uncorrelated workload (cor. coef. 0.0)
 - Workload Type B (random)

Results

Violations of up to 4x the specified one when having positively correlated workload



down to $P(\alpha(t) < a)$ for VM of Type A (cor. coef.: a = 0.45

	α ≥0.95	α≥0.9	α≥0.5	α<υ.	
must	≤0.5	≤0.1	<u>≤0.01</u>	=0	,
is	0.1	0.1	0.08	0.01	

 $P(\alpha(t)<a)$ for VM of Type A (cor. coef.: 0.87)

40 5 40 4	
must ≤0.5 ≤0.1 ≤0	.01 =0 04 0.0
is 0.06 0.04 0.	0.0

 $P(\alpha(t) < a)$ for VM of Type B (cor. coef.: 0.0)

	α ≥0.9	α≥0.7	α≥0.5	α<0.5
must	≤0.15	≤0.05	≤0.01	=0
is	≈0.0	≈0.0	≈0.0	=0.0



▶12 Summary & Ongoing and required future work ...

► Main outcomes in this paper

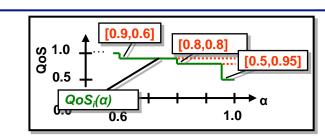
- Statistical static allocation approach
 - Fine grained trade off between performance and hardware resources (energy)
 - Pessimistically and optimistically dealing with correlations
- Evaluation results
 - ▶ Up to **27% resource (energy) savings** in our example
 - Ignoring correlation will lead to significant QoS violations

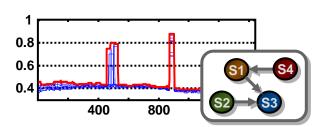
Ongoing work

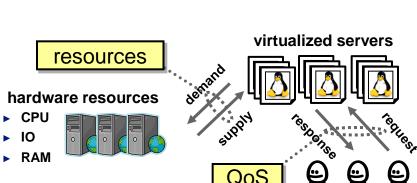
- Just finished an dynamic allocation approach for VMs
 - Uses life migration and server standby
 - Ensures meeting fine grained QoS at any time
 - Ensures redistributing the VMs right in time

Required Future Work

- Until now, resource demand and supply are adjusted as good as possible
- ► Real QoS Attributes are response time or throughput
 - Mapping them to resource demand is required









13 Questions & Discussion?







